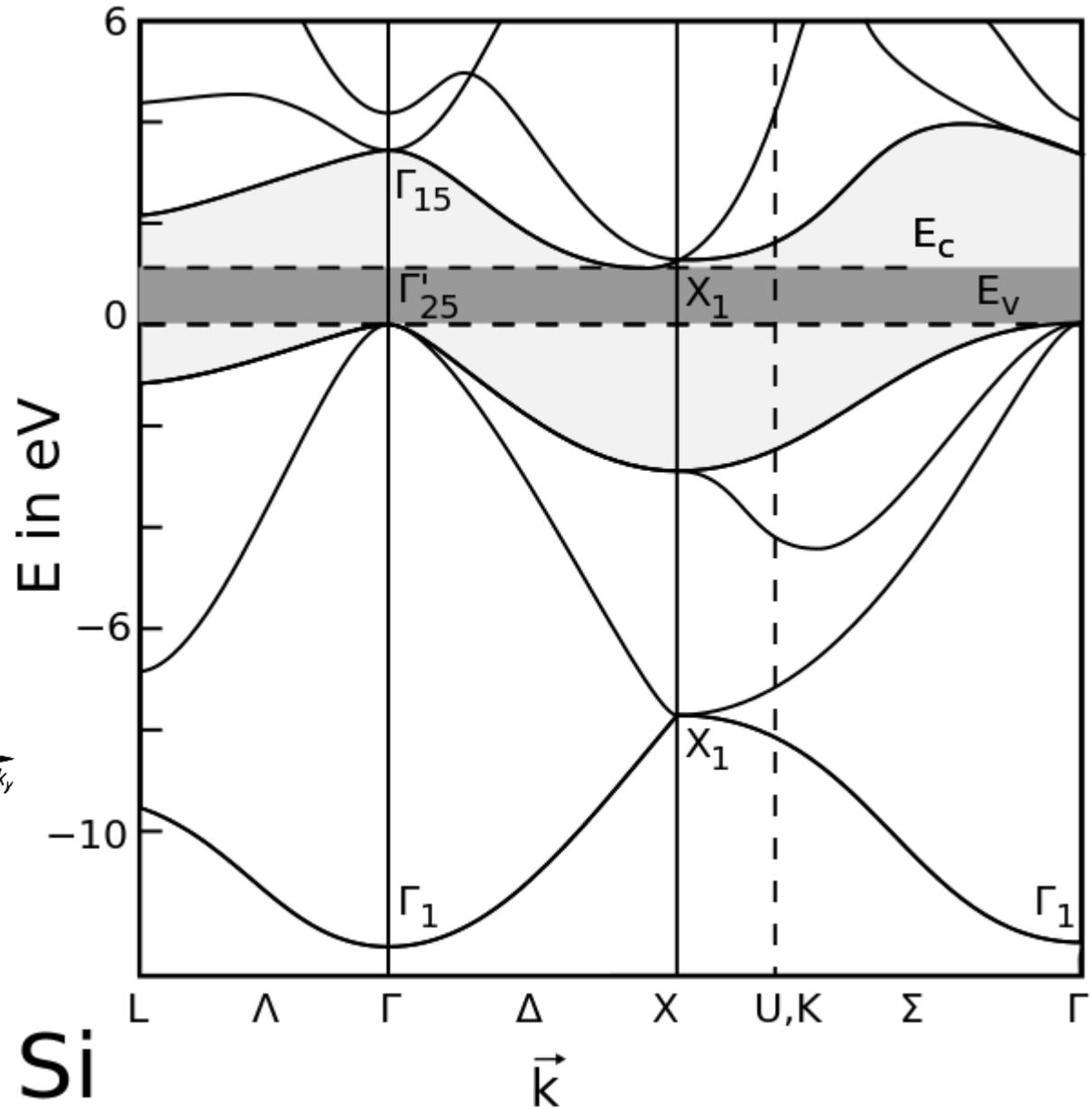
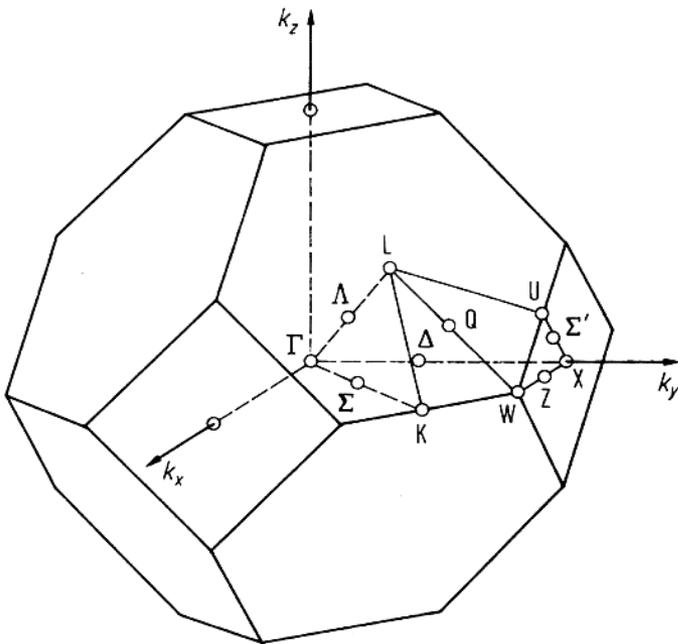
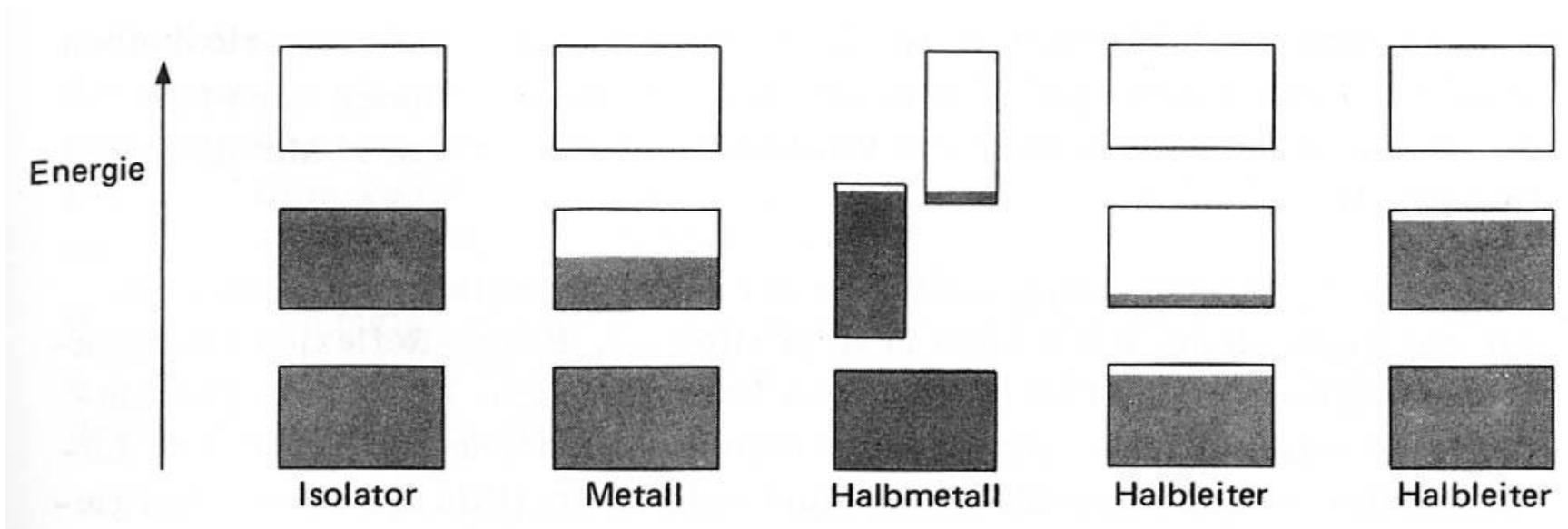


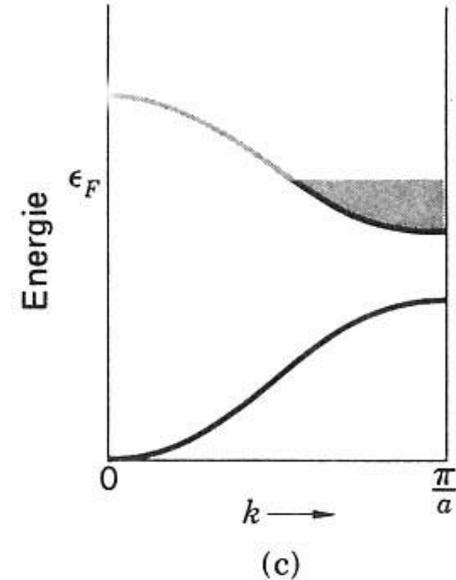
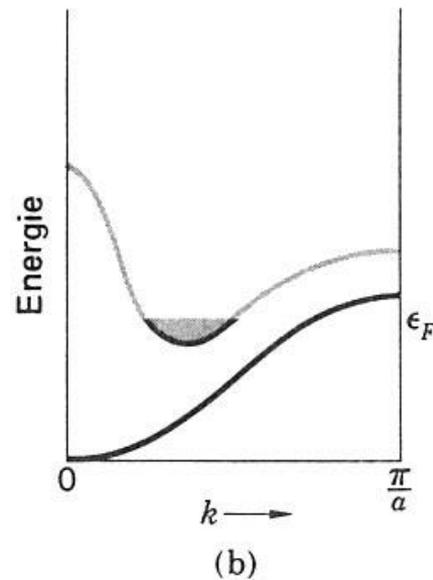
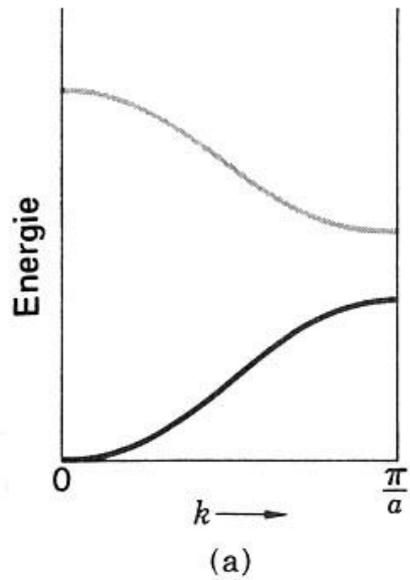
Materialklassen

Bandstrukturen:





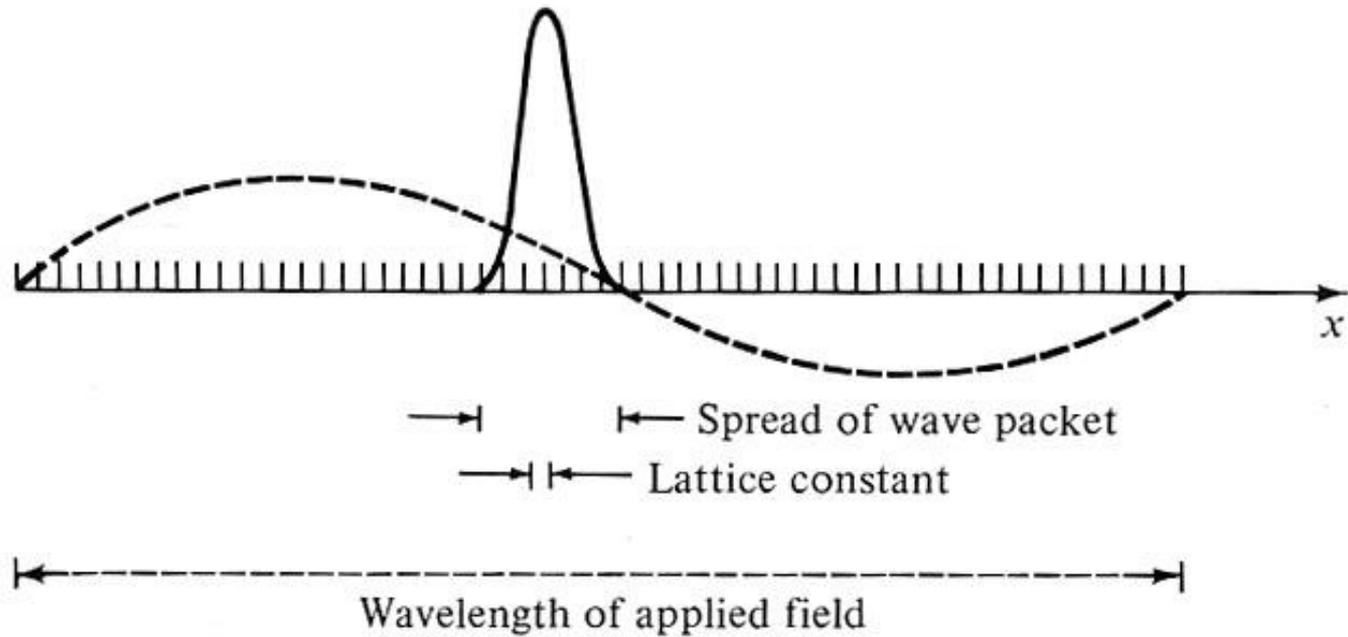
Unterschiedliche Besetzung der Bänder mit Elektronen
(Ortsraum)



Unterschiedliche Besetzung der Bänder mit Elektronen
(Reziproker Raum)

Hamiltonian für Wechselwirkung mit Phononen

$$\mathcal{H}_{el-ph} = \frac{1}{\sqrt{N}} \sum_{\substack{\vec{k}, \vec{G}, \vec{q}, \\ j, b, b', \sigma}} v_{\vec{k}, \vec{G}, \vec{q}; j, b, b'} \left(b_{j, -\vec{q}}^\dagger + b_{j \vec{q}} \right) c_{b, \vec{k} + \vec{q} + \vec{G}, \sigma}^\dagger c_{b', \vec{k}, \sigma}$$



Begründung des semiklassischen Modells

COMPARISON OF SOMMERFELD AND BLOCH ONE-ELECTRON EQUILIBRIUM LEVELS

	SOMMERFELD	BLOCH
QUANTUM NUMBERS (EXCLUDING SPIN)	\mathbf{k} ($\hbar\mathbf{k}$ is the momentum.)	\mathbf{k}, n ($\hbar\mathbf{k}$ is the crystal momentum and n is the band index.)
RANGE OF QUANTUM NUMBERS	\mathbf{k} runs through all of k -space consistent with the Born-von Karman periodic boundary condition.	For each n , \mathbf{k} runs through all wave vectors in a single primitive cell of the reciprocal lattice consistent with the Born-von Karman periodic boundary condition; n runs through an infinite set of discrete values.
ENERGY	$\varepsilon(\mathbf{k}) = \frac{\hbar^2 k^2}{2m}$	For a given band index n , $\varepsilon_n(\mathbf{k})$ has no simple explicit form. The only general property is periodicity in the reciprocal lattice: $\varepsilon_n(\mathbf{k} + \mathbf{K}) = \varepsilon_n(\mathbf{k}).$
VELOCITY	The mean velocity of an electron in a level with wave vector \mathbf{k} is: $\mathbf{v} = \frac{\hbar\mathbf{k}}{m} = \frac{1}{\hbar} \frac{\partial \varepsilon}{\partial \mathbf{k}}$	The mean velocity of an electron in a level with band index n and wave vector \mathbf{k} is: $\mathbf{v}_n(\mathbf{k}) = \frac{1}{\hbar} \frac{\partial \varepsilon_n(\mathbf{k})}{\partial \mathbf{k}}$
WAVE FUNCTION	The wave function of an electron with wave vector \mathbf{k} is: $\psi_{\mathbf{k}}(\mathbf{r}) = \frac{e^{i\mathbf{k} \cdot \mathbf{r}}}{V^{1/2}}$	The wave function of an electron with band index n and wave vector \mathbf{k} is: $\psi_{n\mathbf{k}}(\mathbf{r}) = e^{i\mathbf{k} \cdot \mathbf{r}} u_{n\mathbf{k}}(\mathbf{r})$ where the function $u_{n\mathbf{k}}$ has no simple explicit form. The only general property is periodicity in the direct lattice: $u_{n\mathbf{k}}(\mathbf{r} + \mathbf{R}) = u_{n\mathbf{k}}(\mathbf{r}).$